

ISLANDS: A Self-Leveling Landing Platform for Autonomous Miniature UAVs



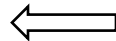
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Background

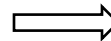
- Two most common forms of air vehicles



Planes first in
1899



Then helicopters
1907



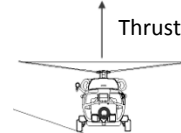
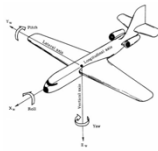
- 1916 first unmanned aerial vehicle (UAVs) developed as practice drones and were remote control operated
- First unmanned helicopter not developed until 1960 and used for bombing submarines (turned out to be failure and used as target practice drones)



- Long delay between first unmanned plane and first unmanned helicopter because of the complexity in controlling helicopters

Background (cont.)

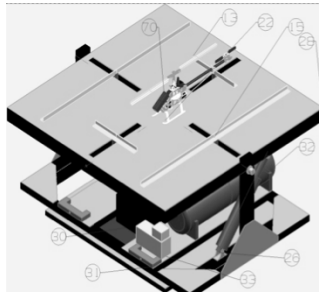
- Plane drawbacks
 - No hovering capability
 - Cannot maintain continuous surveillance without circling or periodic flybys
 - Cannot perform yaw rotation without x,y translation
- Helicopter capabilities
 - Hovering creates vehicles own lift through main rotor blade motions
- Helicopter drawbacks
 - No need for runway
 - Can perform yaw rotation without x,y translation
 - Shorter operating radius compared to similarly sized planes



Examples of class 1 helicopters by Rotomotion

Problem Statement & Proposed Solution

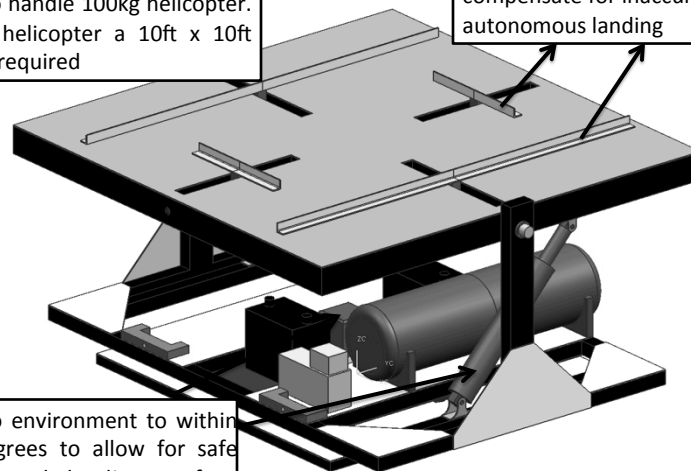
- Develop a method to increase the mission endurance for small autonomous helicopters (Class 1, MTOW $\leq 150\text{kg}$)
- This is done by:
 - Developing an electromechanical device for safe landing and refueling or recharging in the form of ISLANDS
 - Algorithm to efficiently deploy ISLANDS



The ISLANDS system and Requirements

Current Design is 4ft x 4ft and over designed to handle 100kg helicopter. For 150kg helicopter a 10ft x 10ft platform is required

Centering mechanism to compensate for inaccuracy of autonomous landing



Leveling to environment to within +/- 25 degrees to allow for safe landing. Need landing surface parallel to rotor disc of helicopter to eliminate ground effect

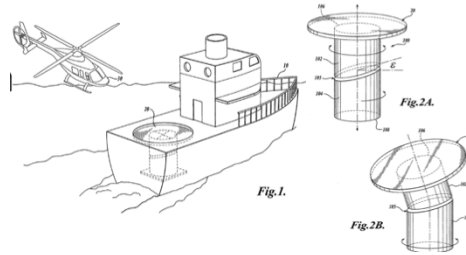
Related Work

- The Mobile Detection Assessment and Response System for the iSTAR VTOL system from the Space and Naval Warfare Systems command



- System is form factor dependent
- No refueling/recharging capabilities
- Does not self-level

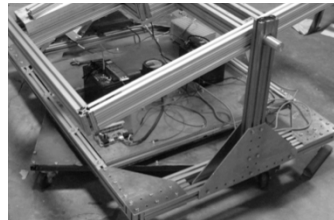
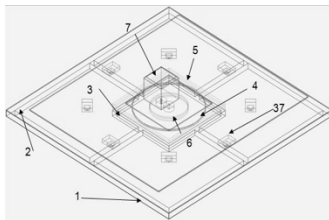
- A patent number 7,299,762 for a landing surface



- No physical system
- Designed for ships
 - Not standalone unit
- Not designed for autonomous helicopters no centering mechanism
- High frequency/low amplitude

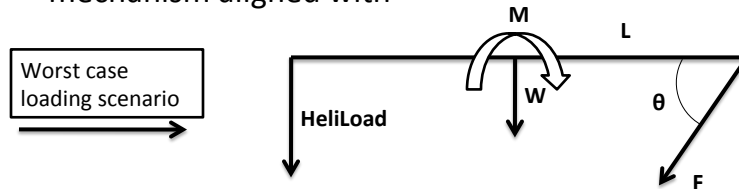
1st DOF: Rotating Mechanism

- One of the degrees of freedom needed to level ISLANDS to the environment
 - Responsible for rotating ISLANDS to align with the environment gradient
- Powered by a DC motor via a 1:1 gear train $\tau = i\alpha$
- To compute torque of motor
 - Where $i = \sum_{c=1}^{c=N} i_c$ is the sum of inertia components being rotated
 - Larger body broken into sub-bodies of simple geometries.
 - Parallel axis theorem used to align rotation with that of motor



2nd DOF: Leveling Mechanism

- Levels landing deck to the gradient that the rotation mechanism aligned with



- HeliLoad – Weight of helicopter
- W – weight of landing deck being rotated
- L – distance between pivot and linear actuator attachment point
- F – force needed to overcome moment M

$$F = 2L(\text{HeliLoad}) + \frac{WL}{\sin(\theta)}$$

Force needed over range of +/- 25 degrees is 1200 N

Choosing Linear Actuator

- 3 types of Linear actuators available: Electric, Hydraulic, Pneumatic
1. Electric
 - Easy to control
 - Weakest
 - Not back drivable (if system fails, stuck in that position)
 2. Hydraulic
 - Easy to control due to incompressibility of working fluid (hydraulic oil)
 - Most powerful
 - Expensive, requires addition of pump, and manifold
 - If leak in system all working fluid lost system stop working
 3. Pneumatic
 - Difficult to control
 - Powerful
 - Clean, working fluid is air
 - Cheap components
 - Back drivable



Pneumatics Background

- Basic governing equation for controlling pneumatic piston

$$M \frac{d^2x}{dt^2} + B \frac{dx}{dt} = A(P_1 - P_2)$$

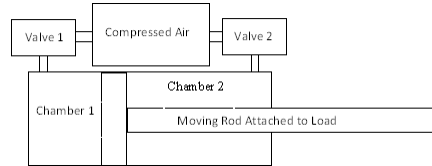
$$P_1 A x = m_1 R T$$

$$P_2 A (l - x) = m_2 R T$$

Derivative of Pressure \longrightarrow

$$\frac{dP_1}{dt} = \frac{1}{Ax} (-P_1 A \frac{dx}{dt} + RT \dot{m}_1)$$

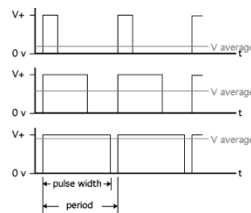
$$\frac{dP_2}{dt} = \frac{1}{A(l-x)} (-P_2 A \frac{dx}{dt} + RT \dot{m}_2)$$



- Problems with this model
 - **Coefficient of friction varies and non linear**
 - Air is compressible hence ideal gas law relationship does not hold, assumed incompressible in some models
 - In this work went straight to implementation

Controlling Valves

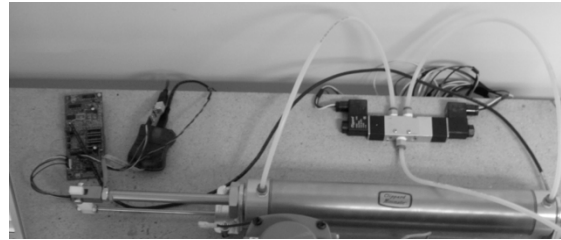
- Valves control flow of air into the chambers and hence the position of piston
- Two types of valves available:
 - Servo, big expensive, but easy to control
 - Operate by varying orifice size -> varying flow rates of air into chambers
 - Solenoid are cheap and can use existing DC motor control to actuate
 - Use PWM control to actuate coil
 - With care to make sure pulse are long enough to completely close/open valve



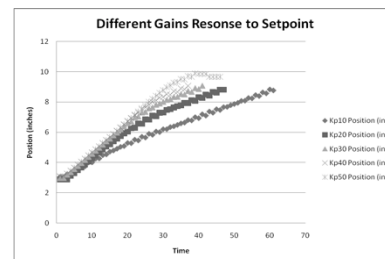
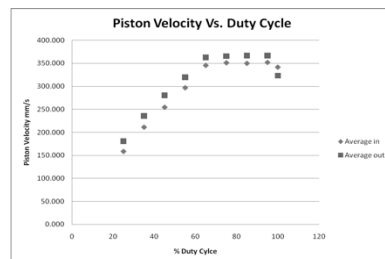
- Opening and closing of valves controlled by coil

Experimental Setup

- Test-bed included:
 - Microcontroller to generate PWM signal, and sense position via linear transducer
 - Fixed pressure air supply, further controlled by an air regulator
 - 4-way 3-position pneumatic valve actuated by 2 24 VDC solenoids running at 0.25amps
- Initial test was to determine the open/close time of solenoid due to coils charging/discharging
 - This determined minimum duty cycle to use on valves



Pneumatics Results

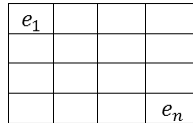


- Experiment comparing piston velocity during extension and retraction based on different duty cycles
- Determined top limit on duty cycles is 65%
 - Combined with results from first experiment, range of duty cycles obtained
- Experiment comparing different proportional gains for driving piston from a set point at 3 inches to another at 9 inches
- These gains determined experimentally
- Gain of 50 shows overshoot
 - Hence gain of 40 selected

Placement Problem

Problem Setup:

- Given an area made up of N equally-sized square elements $N \{e_1 \dots e_n\}$



- Each element is a demand node (e.g. requiring surveying)
- Nodes with ISLANDS are considered supply nodes (limited)
- How should the ISLANDS nodes be placed so helicopters don't run out of fuel?

Assumptions

- Helicopter can be in only one element at a time
- Helicopter moves 1 grid element at a time using 1 of 2 traveling methods

Proposed Solution 1

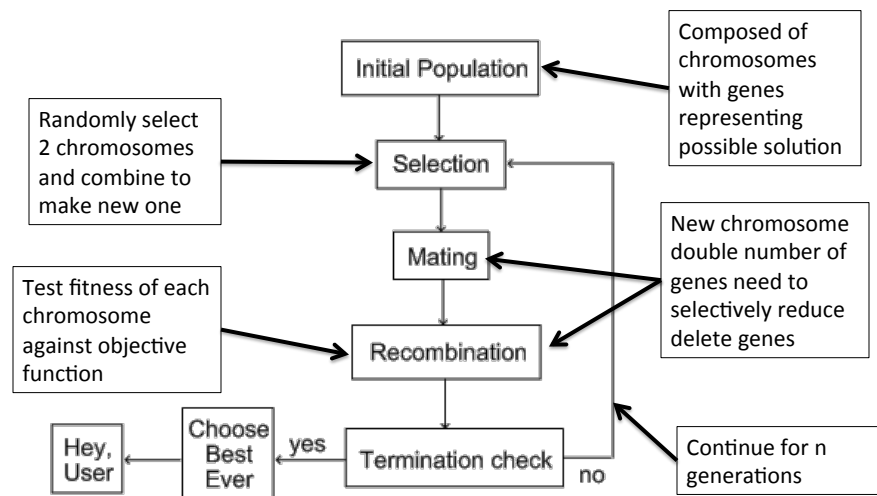
- In literature, similar problems have been solved using Maximal Coverage Location Problem in the field of resource allocation
 - Produces results of maximum % of area covered given n supply nodes
 - Nodes in outskirts sacrificed to increase area covered and reduce cost function



Proposed Solution 1 (cont.)

- P-median formulation guarantees 100% coverage but does not limit distance between nodes.
- For this work using a modified P-median formulation with additional constraint of distance limitation
 - These problems are NP-hard therefore using a heuristic genetic algorithm to solve
- Only considering one-way flight to specific node: not considering the nodes covered on way to demand node
 - Potential future work but out of scope of this project

Diversions: Genetic Algorithm



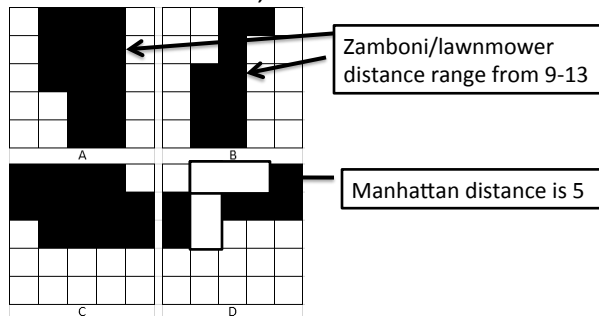
Distance Metric

- The cost function for p-median is distance dependent
 - Two different methods for calculating distance are used
 - Manhattan distances derived by solving:

$$d_{sf} = |x_s - x_f| + |y_s - y_f|$$

The $n \times n$ distance matrix is calculated offline

- A metric for coverage between two points, “zamboni” or “lawnmower”, also calculated offline

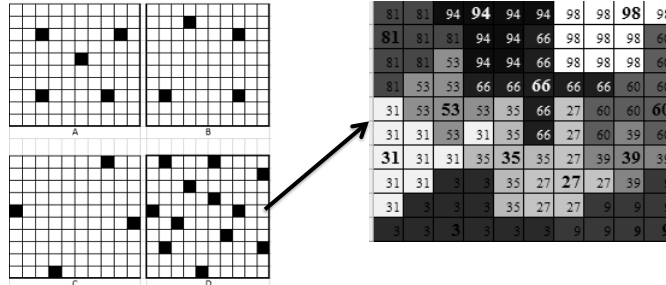


Experiment

- Four experiments were performed using p-median formulation using modified genetic algorithm; all experiments performed on 10 x 10 grid
 - No distance constraint, 5 ISLANDS nodes, using Hamiltonian distance metric
 - 10 unit distance constraint (Manhattan distance metric)
 - Determine minimum number of ISLANDS nodes
 - 10 unit distance constraint, using Zamboni/lawnmower coverage distance metric
 - Determine minimum number of ISLANDS nodes

Results

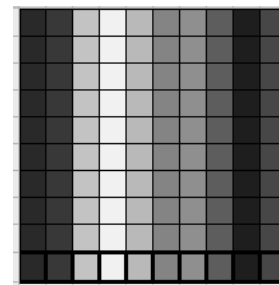
- To determine minimum nodes needed, the algorithm was run assigning a cost function of infinity for results that violate distance constraint
 - Incrementally increasing number of ISLANDS nodes until feasible solution found



- Does this make sense?
- Is it useful?

Results Analysis

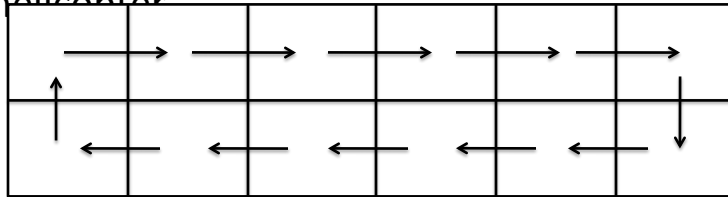
- Do these results make sense?
 - Yes, but not necessarily desired
- Why wasn't 10 ISLANDS solution found
 - Only 4 Possible solutions
 - With cost of 450
- Want solution with circular path
 - Not flying back over already observed areas



10 ISLANDS solution

Future Work On Placement Making Block

- Want to create blocks with circular path where path steps = flight endurance of helicopter



- Need to figure out how to shape and place these blocks

Questions?